

**SE 2AA4, CS 2ME3 (Introduction to Software  
Development)**  
**Winter 2018**

# **26 Specification Quality DRAFT**

Dr. Spencer Smith

Faculty of Engineering, McMaster University

December 15, 2017



## 26 Specification Quality DRAFT

- Administrative details
- Abstract class versus interface
- Use cases with UML
- Sequence diagrams in UML
- Line Formatter Example

# Administrative Details

TBD

# A3 Hints

TBD

# A3 Hints Continued

TBD

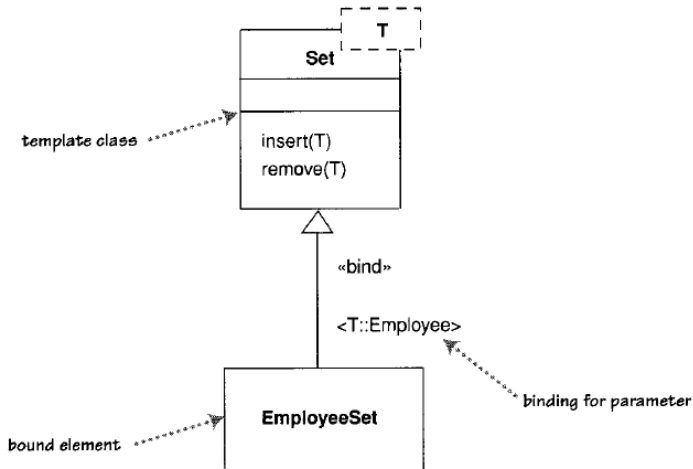
- Interface

- ▶ Methods are implicitly abstract and public
- ▶ Methods can have default implementation ( JDK 8)
- ▶ Cannot have constructors
- ▶ Variables are final
- ▶ Can only extend interfaces
- ▶ Classes can extend multiple instances
- ▶ Appropriate for unrelated classes

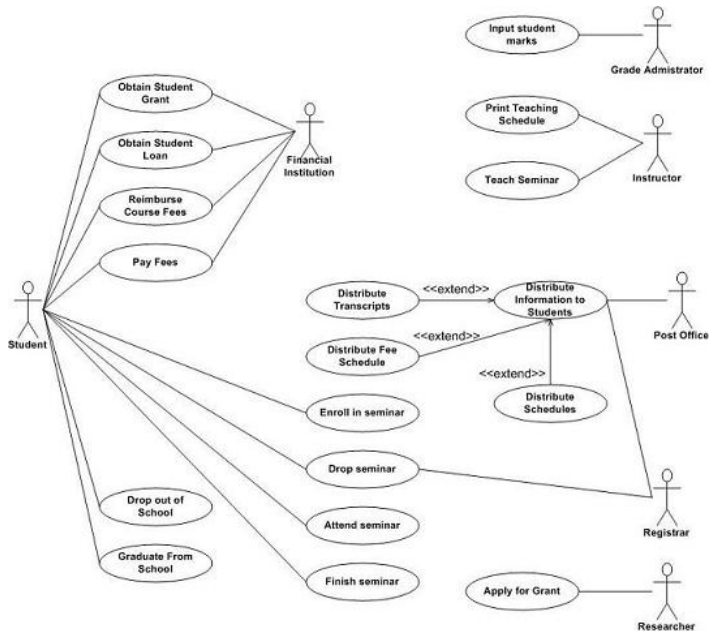
- Abstract class

- ▶ At least one method is declared as abstract
- ▶ Some methods can implement a default behaviour
- ▶ Cannot instantiate them, but can have constructors
- ▶ Variables are not necessarily final
- ▶ Can extend other class
- ▶ Can implement multiple interfaces
- ▶ Classes can extend only one abstract class
- ▶ Sharing code between closely related classes

# UML Diagram for Generic Classes



## UML Class Diagram Template

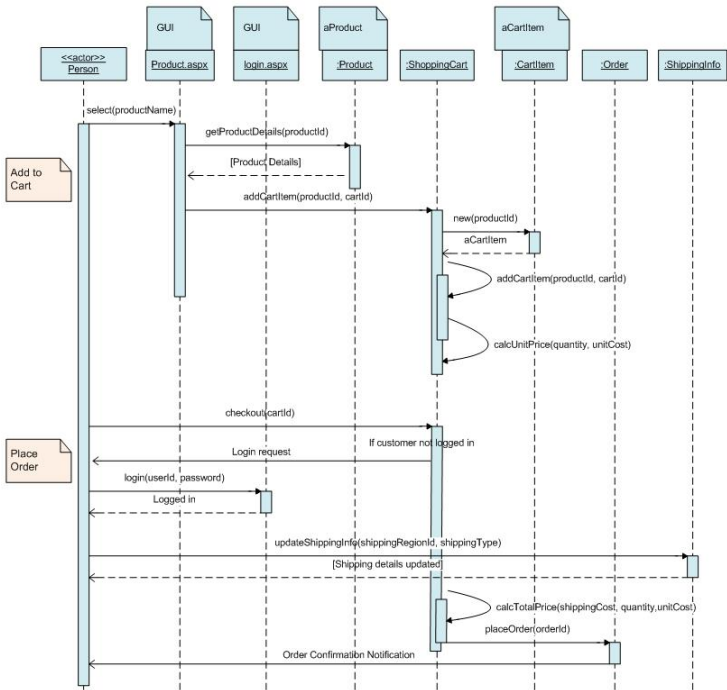


## UML 2 Use Case Diagrams: An Agile Introduction



# Use Cases

- Often used for capturing requirements
- From user's (actor's) viewpoint
  - ▶ Person
  - ▶ Other system
  - ▶ Hardware
  - ▶ etc. (anything external)
- Each circle is a use case
- Lines represent possible interactions
- An actor represents a role, individuals can take on different roles



# Sequence Diagrams

- Represents a specific use case scenario
- How objects interact by exchanging messages
- Time progresses in the vertical direction
- The vertically oriented boxes show the object's lifeline

# Sequence Diagram Question

- Is a sequence diagram an operational or a descriptive specification?
- If objects exchange a message, should there be an association between their classes?

# Line Formatter

- **Input** stream signalled with ET
- Exactly one ET character in each input stream
- **Character** classifications:
  - ▶ Break character - BL (blank) and NL (new line)
  - ▶ Non Break Character - all others except ET
  - ▶ End of text indicator ET
- **Word** is a non-empty sequence of non break characters
- **Break** is a sequence of one or more break characters
- **Output** same sequence of words, except if there is an oversize word
  - ▶ Oversize means more than MAXPOS characters, where MAXPOS is a positive integer
  - ▶ If there is an oversize word
    - ▶ Set Alarm to TRUE
    - ▶ Exit the program

# Line Formatter

- Up to the point of an error, the program's output should have the following properties
  - ▶ A new line should start only between words and at the beginning of the output text, if any
  - ▶ A break in the input is reduced to a single break character in the output
  - ▶ As many words as possible should be placed on each line (i.e. between successive NL characters)
  - ▶ No line may contain more than MAXPOS characters (words and BLs)

# Abstract?

# Abstract?

- Not abstract!
- Specifies an implementation for error handling (variable named Alarm)
- Do not have to name the variable Alarm
- Could use exception handling (or another approach) instead
- ET is a machine dependent (program domain) concept



# Correct?

# Correct?

- The definition of line is incorrect!
- A line is defined as being between NLs, which ignores text before the first NL and after the last NL
- The output file does not contain ET, which is either a bug in the spec or a significant non-uniformity

# Unambiguous?

# Unambiguous?

- Ambiguous!
- “point of error” is not defined
- Output matches input to the last acceptable word, or the last acceptable character?
- “trailing blanks ending with ET” is ambiguous
- The program’s output should be the same sequence of words as in the input
  - ▶ But the input is not a sequence of words
  - ▶ If the input were a sequence of words, what about leading or trailing breaks?
  - ▶ “As many words as possible should be placed on each line”
    - ▶ WHO WHAT “NL” WHEN
    - ▶ WHO “NL” WHAT WHEN

# Complete?

# Complete?

- Not complete!
- Meaning of NL and its relation to the concept of line is left implicit
- Alarm is not specified if MAXPOS is never exceeded

# Consistent?

# Consistent?

- Not consistent!
- “non-empty” and “one or more” (synonyms)
- “stream” and “sequence” (synonyms)
- Is the input a “stream of characters” or a “sequence of words separated by breaks”? – sequence of T is not the same as sequence of sequence of T



# Verifiable?

# Verifiable?

- The specification cannot be verified, since it is ambiguous and incorrect

# Advantages and Disadvantages?

- Advantages and disadvantages of maintaining both formal and a natural language spec?

# Advantages and Disadvantages?

- Advantages and disadvantages of maintaining both formal and a natural language spec?
- Advantage of natural language - understandability
- Advantage of formal spec
  - ▶ Unambiguous
  - ▶ Highlights difficult to informally detect cases
  - ▶ Checking for completeness and consistency
  - ▶ Amenable to tool support
- Advantage of both - all of the above advantages
- Disadvantages - have to maintain two specs
- Automatic translation
  - ▶ Formal spec to natural language has been researched
  - ▶ Natural language to formal spec has received more attention

# English and Mathematics as Languages

- English is a language
- So is Mathematics
- Both have
  - ▶ Rules of grammar (syntax)
  - ▶ Semantics
- When writing in any language, pay attention to grammar and semantics. Get both right.

# English and Mathematics: A Difference

- In English and other natural languages
  - ▶ Ambiguity desired, intentionally possible
  - ▶ Unambiguous statements almost impossible
- In Mathematics
  - ▶ Ambiguity not desired, intentionally prevented
  - ▶ Ambiguous statements almost impossible (even in probability theory, fuzzy logic)

# Mathematics and Engineering

- Therefore, mathematics is the language of engineering

# Correct Syntax for Mathematics

- Make sure the syntax of your mathematical expressions is correct
- Correct syntax does not guarantee correct semantics
- Incorrect syntax makes the mathematics ambiguous
- Example problems to watch for
  - ▶ Mismatch of types
    - ▶  $(p.xcoord() + width) \wedge p.xcoord()$
    - ▶  $\neg(\text{integer})$
    - ▶ Set of sequences accessed by  $[i]$
    - ▶  $\forall(i : \mathbb{N} \wedge j : \mathbb{N} \dots)$
  - ▶ Use of programming language notation in mathematics
    - ▶ Integer values instead of boolean
    - ▶ `length == MAX_SIZE`
  - ▶  $(x > 7) = \text{true}$  instead of  $(x > 7)$  (bad form)



# Different World Views

- English and other natural languages
  - ▶ Express both static and dynamic views
  - ▶ States and actions (verbs of being and action)
- Imperative programming languages
  - ▶ Primarily dynamic world view (changes)
- Functional programming languages
  - ▶ Static world view
- Mathematics
  - ▶ Static world view only
- Fundamental conceptual differences

# Static Versus Dynamic Views

- These very different world views pose a conceptual hurdle for the translator
- The translator must bridge the gap between
  - ▶ Dynamic and static view of problem statement
  - ▶ Dynamic world view of programming and
  - ▶ Purely static world view of mathematics
- Not hard, but requires conscious attention

# Translating Between Languages

- Translating a statement from one language to another is a multistep (not single) process
  1. Statement in source language to a mental understanding of the meaning of the statement
  2. Reformulate mental understanding into target language view, concepts, culture
  3. Mental understanding of the meaning of the statement to a statement in the target language
- The first and last statement must mean the same

# Translators

- Knowing two languages: not enough to translate
- A good translator knows well
  - ▶ The two languages
  - ▶ AND the subject being translated
  - ▶ AND how to translate
- These three things are different

# Organization and Style

- When writing in English or any other natural language, one pays careful attention to
  - ▶ Organization of the essay, report, etc.
  - ▶ Style of expression
- When writing in Mathematics, to do the same:
  - ▶ Clear, complete, concise
  - ▶ KISS (Keep it Simple Sharp and Straightforward)
  - ▶ Understandable
  - ▶ Interesting

# Strategies

- Understand the meaning of the original
- Obtain all needed information
- Close the gap between the English text and mathematics
- Divide and conquer (complexity)

# Strategy: Understand the Original

- Describe specific instance of general problem
- Distinguish essentials from background
- Draw a diagram
- Express in intermediate or mixed language
- Identify object referred to
- Identify implicit (but false) “information”
- Identify missing information
- Identify relationships between essential objects
- Identify special cases

# Strategy: Obtain all Needed Information

- Ask the author of the task description
- Identify gaps in the description of the task
- Identify implicit “information”
- Ask if implicit “information” may be assumed
- Identify data present and ask about related details
- Ask if missing information is really needed
- Read **carefully, thoroughly, precisely**



# Strategy: Close Gap English – Mathematics

- Express implicit information explicitly
- Reduce vagueness and ambiguity
- Reword English text to be closer to mathematics (express in an intermediate, mixed language)

# Strategy: Divide and Conquer

- Construct a table
- Distinguish between specific cases
- Introduce an auxiliary mathematics function
- Modularize

# Strategy: Draw Diagrams, Describe Specific Instances of the Given Problem

- Graphical representations help understand the meaning of the message
- For specific instances, think of extreme cases first to simplify
  - ▶  $n = 0$
  - ▶  $n = 1$
  - ▶  $n = \text{inf}$
- Think of a normal sized problem, usually something like  $n \geq 3$
- You might want to write down truth tables

# A Small Translator's Glossary

English	Mathematics
and, but	$\wedge$
or	$\vee$
for all, each, every, any	$\forall$ , $\wedge$ series, universal quantification
for no, none	$\forall$ , $\wedge$ series, universal quantification, with a negated assertion
there is (are), there exist(s), for some, at least one	$\exists$ , $\vee$ series, existential quantification

# A Small Translator's Glossary Continued

English	Mathematics
integer	$\dots \in \mathbb{Z}$
sorted	$\wedge_{i=0}^{n-2} A[i] \leq A[i+1],$ $\forall (i : \mathbb{N}   0 \leq i < n - 1 : A[i] \leq A[i+1])$
if (when, whenever) ... then ...	$\dots \rightarrow \dots$ , sometimes $\wedge$
search, find, equal, present	$=$
exchange, rearrange, different order, different sequence, merge, copy, sort	permutation

# Your Translator's Glossary

- A professional translator compiles his/her own translation glossary
  - ▶ Over time
  - ▶ Based on own accumulated experience
- You should too!

## Exercise

Consider an array  $D$  with index values ranging from 1 to  $n$ . The subject of this example is part of a specification for a subprogram that will count how many times a particular given value occurs in the array  $D$ .

The goal of this exercise is to write a postcondition for the subprogram, relating the various relevant variables values when the search is complete.

## Exercise Continued

Understand the task in the original language

- Identify objects referred to (look for nouns in the original English text)
- Identify missing information



# Exercise Continued

Understand the task in the original language

- Identify objects referred to (look for nouns in the original English text)
- Array  $D$ , index value, times (count), particular given value, relevant variables's value
- Identify missing information

# Exercise Continued

Understand the task in the original language

- Identify objects referred to (look for nouns in the original English text)
- Array  $D$ , index value, times (count), particular given value, relevant variables's value
- Identify missing information
- Names of variable for: index, times (count), particular given value

# Exercise Continued

Understand the task in the original language

- Identify objects referred to (look for nouns in the original English text)
- Array  $D$ , index value, times (count), particular given value, relevant variables's value
- Identify missing information
- Names of variable for: index, times (count), particular given value
- Are there any other relevant variables?

# Exercise

- Identify missing information
- Names of variable for
  - ▶ Index: assume  $i$
  - ▶ Times (count): ask the author of the task, assume *count*
  - ▶ Particular given value: Ask the author of the task, assume *key*
  - ▶ Are there any other relevant variables? (no?)

# Reference

- Baber, Robert L., *Translating English to Mathematics*, 2002