

**SE 2AA4, CS 2ME3 (Introduction to Software
Development)**

Winter 2018

**14 Mod Decomp Contd (Ghezzi Ch.
4, H&S Ch. 7) DRAFT**

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14 Mod Decomp Contd (Ghezzi Ch. 4, H&S Ch. 7) DRAFT

- Administrative details
- Relationship between modules
- The USES relation
- Module decomposition by secrets
- The IS_COMPONENT_OF relation
- Module guide

Administrative Details

TBD

Assignment 2

TBD

Syntax Circle ADT Module Continued

Routine name	In	Out	Exceptions
new CircleT	PointT, real	CircleT	
cen		PointT	
rad		real	
area		real	
intersect	CircleT	boolean	
connection	CircleT	LineT	
force	real → real	CircleT → real	

Access Routine Semantics Continued

`intersect(ci):`

- output:
 $\exists(p : \text{PointT} | \text{insideCircle}(p, ci) : \text{insideCircle}(p, self))$
- exception: none

`connection(ci):`

- output: $out := \text{new LineT}(c, ci.cen())$
- exception: none

`force(f):`

- output: $out := \lambda c \rightarrow$
 $self.area() \cdot c.area() \cdot f(self.connection(c).len())$
- exception: none

Syntax Deque Of Circles Module

Routine name	In	Out	Exceptions
Deq_init			
Deq_pushBack	CircleT		FULL
Deq_pushFront	CircleT		FULL
Deq_popBack			EMPTY
Deq_popFront			EMPTY
Deq_back		CircleT	EMPTY
Deq_front		CircleT	EMPTY
Deq_size		integer	
Deq_disjoint		boolean	EMPTY
Deq_sumFx	real → real	real	EMPTY, POS
Deq_totalArea		real	EMPTY
Deq_averageRadius		real	EMPTY

Semantics Deque Of Circles Module

State Variables

s : sequence of circleT

State Invariant

$$|s| \leq \text{MAX_SIZE}$$

Assumptions

init() is called before any other access program.

Access Routine Semantics

Deq_Disjoint():

- output $out := \forall(i, j : \mathbb{N} | i \in [0..|s| - 1] \wedge j \in [0..|s| - 1] \wedge i \neq j : \neg s[i].intersect(s[j]))$
- exception: $exc := (|s| = 0 \Rightarrow \text{EMPTY})$

What happens if s only holds one circle? Does this make sense?

Access Routine Semantics

Deq_sumFx(f):

- output

$$out := +(i : \mathbb{N} | i \in ([1..|s| - 1]) : Fx(f, s[i], s[0]))$$

- exception: $exc := (|s| = 0 \Rightarrow \text{EMPTY})$

Local Functions

$Fx: (\text{real} \rightarrow \text{real}) \times \text{CircleT} \times \text{CircleT} \rightarrow \text{real}$

$Fx(f, ci, cj) \equiv xcomp(ci.\text{force}(f)(cj), ci, cj)$

$xcomp: \text{real} \times \text{CircleT} \times \text{CircleT} \rightarrow \text{real}$

$$xcomp(F, ci, cj) \equiv F \left[\frac{ci.\text{cen}().\text{xcrd}() - cj.\text{cen}().\text{xcrd}()}{ci.\text{connection}(cj).\text{len}()} \right]$$

Access Routine Semantics Continued

Deq_totalArea():

- output
 $out := ?$
- exception: $exc := (|s| = 0 \Rightarrow \text{EMPTY})$

Deq_averageRadius():

- output
 $out := ?$
- exception: $exc := (|s| = 0 \Rightarrow \text{EMPTY})$

Details and Notes

- Doxygen, make, LaTeX, Python (2.7) and PyUnit
- Do NOT change the interface
- Can add `__methodName__`
- Makefile includes rule for doc
- Makefile includes rule for test
- Tag repo as A2Part1 and A2Part2
- Trading of code will be done automatically
- Python specifics:
 - ▶ FULL, EMPTY implemented via inheriting from Exception class
 - ▶ Exceptions should only be used with one argument, a string explaining what problem has occurred.
 - ▶ Dec.accessProg, not Dec_accessProg, as shown in the specification.
- Monitor all changes pushed to our repo

File and Folder Structure

- A2
 - ▶ doxConfig
 - ▶ Makefile
 - ▶ report
 - ▶ report.tex
 - ▶ report.pdf
 - ▶ src
 - ▶ pointADT.py
 - ▶ lineADT.py
 - ▶ circleADT.py
 - ▶ deque.py
 - ▶ testCircleDeque.py
 - ▶ srcPartner
 - ▶ circleADT.py

Questions

- What relationships have we discussed between modules?
- Are there desirable properties for these relations?

The USES Relation

- A uses B
 - ▶ A requires the correct operation of B
 - ▶ A can access the services exported by B through its interface
 - ▶ This relation is “statically” defined
 - ▶ A depends on B to provide its services
 - ▶ For instance, A calls a routine exported by B
- A is a client of B; B is a server
- Inheritance, Association and Aggregation imply Uses

Relationships Between Modules

- Let S be a set of modules

$$S = \{M_1, M_2, \dots, M_n\}$$

- A binary relation r on S is a subset of $S \times S$
- If M_i and M_j are in S , $\langle M_i, M_j \rangle \in r$ can be written as $M_i r M_j$

Relations

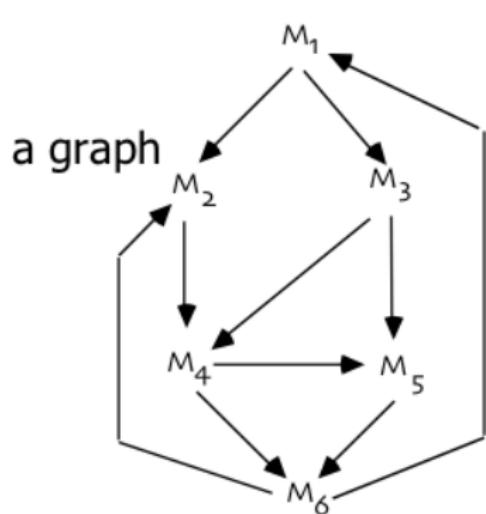
- Transitive closure r^+ of r

$M_i r^+ M_j$ iff $M_i r M_j$ or $\exists M_k \text{ in } S \text{ such that } M_i r M_k \text{ and } M_k r^+ M_j$

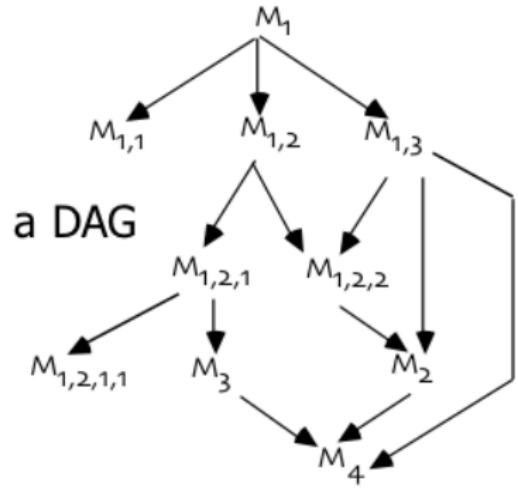
- r is a hierarchy iff there are no two elements M_i, M_j such that $M_i r^+ M_j \wedge M_j r^+ M_i$

Relations Continued

- Relations can be represented as graphs
- A hierarchy is a DAG (directed acyclic graph)



a)



b)

Why do we prefer the uses relation to be a DAG?

Desirable Properties

- USES should be a hierarchy
 - ▶ Hierarchy makes software easier to understand
 - ▶ We can proceed from the leaf nodes (nodes that do not use other nodes) upwards
 - ▶ They make software easier to build
 - ▶ They make software easier to test
- Low coupling
- Fan-in is considered better than Fan-out: WHY?

DAG Versus Tree

Is a DAG a tree? Is a tree a DAG?

DAG Versus Tree

Would you prefer your uses relation is a tree?

Hierarchy

- Organizes the modular structure through levels of abstraction
- Each level defines an abstract (virtual) machine for the next level
- Level can be defined precisely
 - ▶ M_i has level 0 if no M_j exists such that $M_i \rightarrow M_j$
 - ▶ Let k be the maximum level of all nodes M_j such that $M_i \rightarrow M_j$, then M_i has level $k + 1$

Static Definition of Uses Relation

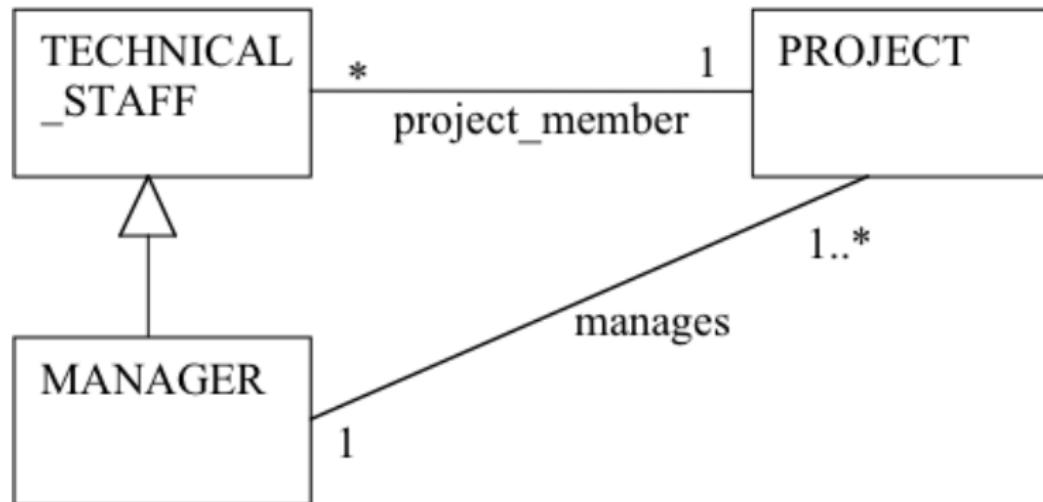
Your program has code like:

```
if cond then ServiceFromMod1 else ServiceFromMod2
```

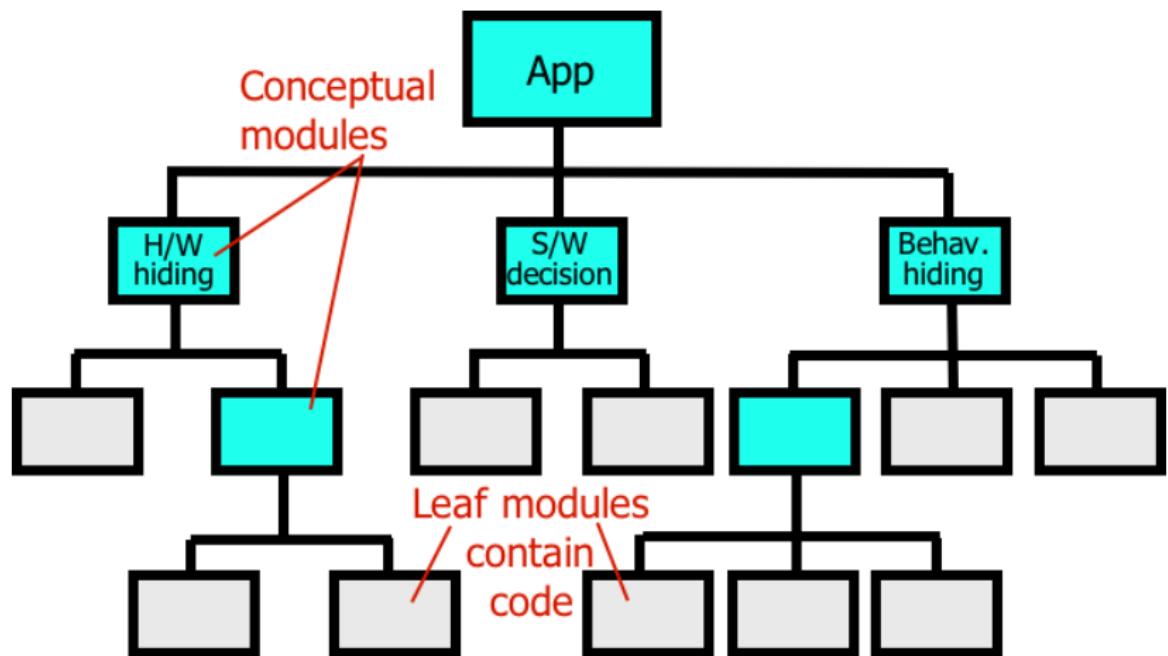
This is the only place where each module is used. Does this mean the uses relation depends on the dynamic execution of the program?

Question about Association and DAG

Is the uses relation here a DAG?



Module Decomposition (Parnas)



Module Decomposition (Parnas)

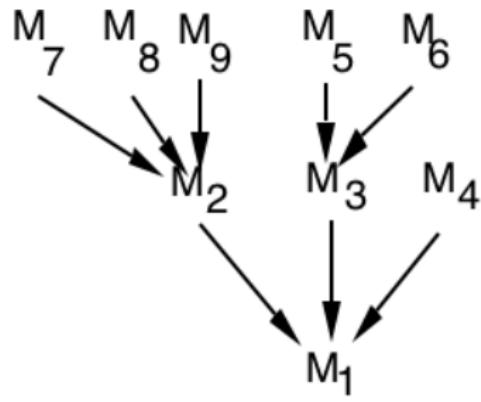
For the module decomposition on the previous slide:

- Does it show a Uses relation?
- Is it a DAG?
- Is it a tree?

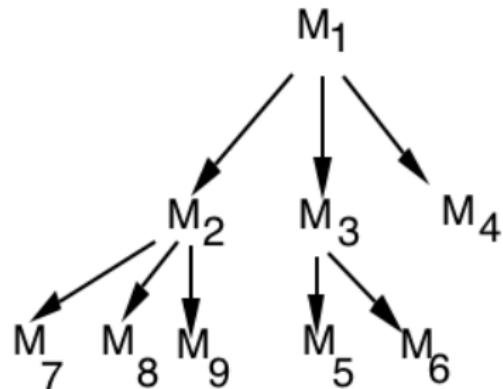
IS_COMPONENT_OF

- The Parnas decomposition by secrets gives an IS_COMPONENT_OF relationship
- Used to describe a higher level module as constituted by a number of lower level modules
- A IS_COMPONENT_OF B means B consists of several modules of which one is A
- B COMPRISES A
- $M_{S,i} = \{M_k | M_k \in S \wedge M_k \text{ IS_COMPONENT_OF } M_i\}$ we say that $M_{S,i}$ IMPLEMENTS M_i
- How is IS_COMPONENT_OF represented in UML?

A Graphical View



(IS_COMPONENT_OF)



(COMPRIMES)

They are a hierarchy

Product Families

- Careful recording of (hierarchical) USES relation and IS_COMPONENT_OF supports design of program families
- Attempt to recognize modules that will differ in implementation between family members
- New program family member should start at the documentation of the design, not with the code

Remember - Information Hiding

- Basis for design (i.e. module decomposition)
- Implementation secrets are hidden to clients
- They can be changed freely if the change does not affect the interface
- Try to encapsulate changeable requirements and design decisions as implementation secrets within module implementations
- Decomposition by secrets, not by sequence of steps

Prototyping

- Once an interface is defined, implementation can be done
 - First quickly but inefficiently
 - Then progressively turned into the final version
- Initial version acts as a prototype that evolves into the final product

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